

# Resource-Based Regions, the Dutch Disease and City Development

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Development. <http://ssrn.com/abstract=2020071>

# Natural resources

- Resource cities, countries
  - Oil, Gas, Coal, Gold, Fish, Forest ...
- Resource industry
  - Gazprom
  - LUKoil
- Siberia: various resources
- China had about 666 cities in 1996, among which 126 were classified as resource-type cities
- Naura, phosphate bearing minerals

# Blessing or curse?

## ■ Nauru

- A small island situated in the South Pacific between Hawaii and Australia
- Grow rapidly in the 1980s when the country began mining for **guano**, the excrement of cave dwelling animals that is used as an ingredient in fertilizer, gunpowder and exotic dishes served in France. It is a prosperous island, for the **phosphate deposits**
- They changed food



# Blessing or curse? (cont.)

- The fattest nation on earth
- Average life of Nauru people: 49 of male and 55 of female



## Blessing or curse? (cont.)

- Some resource countries are suffering from wars



## Blessing or curse? (cont.)

- About 10%–20% Chinese resource-type cities were classified as “hopeless” due to **resource depletion**
- Japanese city Yubari reached its highest population of 116,908 in 1960 but lost 90% of its residents after the mines closed in the 1990s
- Dutch disease
  - decline of the manufacturing sector in the Netherlands after the discovery of a large natural gas field in 1959
  - happens even without resource depletion
- Some cities (Daqing, Tangshan in China) are good enough
- Why?

# Related literature

- Focus on the economic issues
- small open economy
  - Corden and Neary (1982), Corden (1984)
  - prices of manufactured goods are **fixed**
  - no impacts of **globalization**
- learning by doing in the manufacturing sector
  - Matsuyama (1992): comparison of closed and open economies. Productivity of  $A$

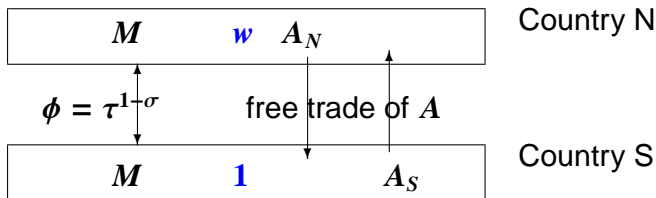
# Our aims

- By use of NEG/NTT, we investigate the Dutch disease
  - in terms of industry shares
  - in terms of welfare
- Conclusions: Successful region/city development depends on
  - How are resources used?
  - How manufacturing goods are freely transported?
- The Dutch disease occurs even if resource is not depleted



# Basic setup

- Two regions N and S of symmetric size
  - immobile labor, to be lifted later
- Two sectors: manufacturing  $M$  and resource sector  $A$



- Consumer: 1 labor with utility  $U = M^{1-\mu-\eta} A_N^\mu A_S^\eta$

- $M = \left( \int_0^{n^T} m(i)^{\frac{\sigma-1}{\sigma}} di \right)^{\frac{\sigma}{\sigma-1}}$

## Basic setup (cont.)

- differentiated resource goods, region specified due to climate, geography, natural endowment ...
- Iceland and Norway import tropical fruits and wine, Luxemburg imports seafood
- $\mu, \eta > 0$ ;  $\mu + \eta < 1$
- Transport cost  $\tau$  for  $M$ ,  $\phi = \tau^{1-\sigma}$ . Free trade of  $A$ , to be lifted later
- $A_N$  and  $A_S$ : CRS. **Marginal**: One unit of labor
  - choose  $A_S$  as the numéraire
  - wage in N is  $w$  and wage in S is 1

$$\text{composite } l^\alpha A_N^\beta A_S^\gamma$$

## Basic setup (cont.)

- $M$ : IRS. **Fixed**:  $f$  units, **Marginal**:  $(\sigma - 1)/\sigma$  units of composite input of labor and two resource goods.

- $f + \frac{\sigma - 1}{\sigma}x = l^\alpha A_N^\beta A_S^\gamma$

- $\alpha, \beta, \gamma \geq 0, \alpha + \beta + \gamma = 1$

- $\hat{\mu} = \mu + \beta(1 - \mu - \eta)$  and  $\hat{\eta} = \eta + \gamma(1 - \mu - \eta)$

- direct and indirect expenditure shares of  $A_N$  and  $A_S$

- $\alpha \in [1/(2\sigma), 1], \beta, \gamma \in [0, 1)$

Resource advantage in N  $\hat{\eta} < \hat{\mu} < 1/2$

(to avoid corner, to be discussed later)

- $\Phi \equiv w - \hat{\mu}(1 + w), \quad \Psi \equiv 1 - \hat{\eta}(1 + w), \quad \bar{w} \equiv \frac{\hat{\mu}}{\hat{\eta}} (> 1)$

- $L\Phi$  is the total labor cost for the  $M$  sector in N

- $L\Psi$  is the total labor cost for the  $M$  sector in S

- $\bar{w}$  is the relative resource advantage of  $A_N$  over  $A_S$

## Basic setup (cont.)

- both  $\Phi$  and  $\Psi$  are positive
- By cost minimization, to produce one unit of a variety, we need
  - $\alpha \Gamma w_k^{\alpha-1} (p_N^A)^\beta (p_S^A)^\gamma$  units of labor
  - $\beta \Gamma w_k^\alpha (p_N^A)^{\beta-1} (p_S^A)^\gamma$  units of  $A_N$
  - $\gamma \Gamma w_k^\alpha (p_N^A)^\beta (p_S^A)^{\gamma-1}$  units of  $A_S$
  - $k = N, S, \Gamma \equiv \alpha^{-\alpha} \beta^{-\beta} \gamma^{-\gamma}$

# Equilibrium

- firm share in N is  $\theta = \frac{\Phi}{\Phi + w^\alpha \Psi}$ 
  - labor is the only production factor
  - determined by direct and indirect labor input
- total number of firms:  $n^T = \frac{Lw^{-\alpha-\beta}}{\sigma f \alpha \Gamma} (\Phi + w^\alpha \Psi)$
- wage  $w$  is determined by
$$\mathcal{F}(w, \phi) \equiv \mathcal{A}(w) + \mathcal{B}(w)\phi + \mathcal{C}(w)\phi^2 = 0$$
  - $\mathcal{A}(w) \equiv -\Psi + \alpha(1 - \mu - \eta)$
  - $\mathcal{B}(w) \equiv w^{\alpha\sigma}\Psi - w^{-\alpha\sigma}\Phi$
  - $\mathcal{C}(w) \equiv \Phi - \alpha(1 - \mu - \eta)$
- **Proposition 1**  $\forall \phi \in [0, 1]$ 
  - $\exists$  a unique equilibrium wage  $w \in [1, \bar{w}]$
  - equilibrium wage  $w \downarrow$  in  $\phi$

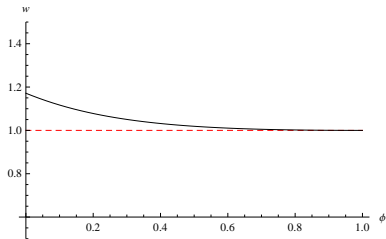
## Equilibrium (cont.)

- the number of firms in N ↓ in  $\phi$
- the number of firms in S ↑ in  $\phi$
- Economics inside
  - Wage in the resource advantageous country is higher ( $w \geq 1$ )
  - Wage advantage ↓ with trade integration
  - A higher wage increases the demand for  $M$  by the **income effect**, decreases the demand for  $M$  by raising the **price**
  - industrial location is determined by the **production-cost effect** and the **market-access effect**
  - More firms move to the resource disadvantageous country
  - Dutch disease in terms of industry shares

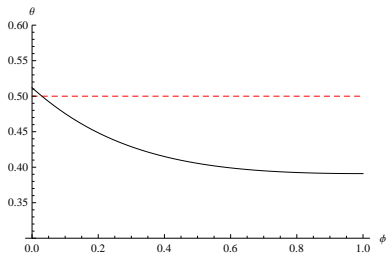
$$\bar{\theta} \equiv \frac{1}{1 + \bar{w}^{\alpha-1}} \in [1/2, 1), \quad \theta \equiv \frac{1 - 2\hat{\mu}}{2\alpha(1 - \mu - \eta)} \in (0, \frac{1}{2})$$

# Equilibrium (cont.)

- The firm share  $\theta$  in  $N \downarrow$  in  $\phi$ ,  $\theta \in [\underline{\theta}, \bar{\theta}]$



(a) Wage  $w$



(b) Firm share  $\theta$

# Equilibrium: Resource booms

- What are booms?
  - A boom of resource good as a final good
  - A boom of resource good as an intermediate good
- Modeling
  - No closed form of  $\theta$ . Check  $\bar{\theta} = \theta(\mathbf{0})$ ,  $\underline{\theta} = \theta(\mathbf{1})$  and  $\hat{\phi}$  defined by  $\theta(\hat{\phi}) = 1/2$
  - $\alpha + \beta + \gamma = 1$ . A small change in  $\beta$  (resp.  $\gamma$ ) does not alter  $\gamma$  (resp.  $\beta$ ) but changes only
- **Proposition 2**
  - $\frac{\partial \bar{\theta}}{\partial \mu} > 0$  (relative wage  $\uparrow$  in  $\mu$ , market-size effect dominant)
  - $\frac{\partial \underline{\theta}}{\partial \mu} < 0$  (production-cost effect dominant)



# Equilibrium: Resource booms (cont.)

- $\frac{\partial \hat{\phi}}{\partial \mu} < 0$  (boom weakens  $M$ )
- $\frac{\partial \bar{\theta}}{\partial \beta} > 0$ ,  $\frac{\partial \bar{\theta}}{\partial \beta} < 0$   $\frac{\partial \hat{\phi}}{\partial \beta}$  is indeterminate
  - $\beta \uparrow \rightarrow w \uparrow \rightarrow$  labor input  $\downarrow \left\{ \begin{array}{l} \text{small } \hat{\mu} - \hat{\eta} \rightarrow \frac{\partial \hat{\phi}}{\partial \beta} < 0 \\ \text{large } \hat{\mu} - \hat{\eta} \rightarrow \frac{\partial \hat{\phi}}{\partial \beta} > 0 \end{array} \right.$

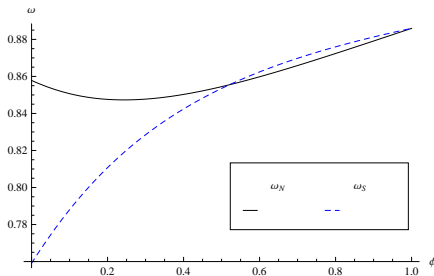
# Welfare

- Do not compare optimal with equilibrium
- Examine welfare in equilibrium path
  - How residents in two countries benefit from globalization?
  - Which country is better off?
- Definition: real wages
  - $\omega_N = \omega_N(\phi) \equiv w \cdot P_N^{-(1-\mu-\eta)} (p_N^A)^{-\mu} (p_S^A)^{-\eta}$
  - $\omega_S = \omega_S(\phi) \equiv 1 \cdot P_S^{-(1-\mu-\eta)} (p_N^A)^{-\mu} (p_S^A)^{-\eta}$
- Facts when  $\phi \uparrow$ 
  - Firms move from N to S
  - Nominal wage in N decreases
  - Prices decrease

# Welfare (cont.)

## ■ Results

- $\omega_S \uparrow$  if  $\sigma > 1 + \mu - \eta$
- $\omega'_N(\mathbf{1}) > \mathbf{0}$  always holds while  $\omega'_N(\mathbf{0}) < \mathbf{0}$  when  $\sigma$  is large enough
- $\omega_S/\omega_N < \mathbf{1}$  at  $\phi = \mathbf{0}$
- $\omega_S/\omega_N > \mathbf{1}$  for a sufficiently large  $\phi \neq \mathbf{1}$
- $\omega_S/\omega_N = \mathbf{1}$  at  $\phi = \mathbf{1}$ .



# Welfare (cont.)

- Economics inside
  - For small  $\phi$ , although the price index can be higher in N, a higher income makes the residents there better off
  - For large  $\phi$ , the opposite is true. More firms choose to locate in S, which makes the price index there lower than in N, and thus the income differential  $w - 1 \downarrow$
  - When  $\phi = 1$ , same real wage!
  - Dutch disease in terms of welfare

# Generalization: Costly Transportation of A

- Iceberg transport cost:  $\tau_A$

- $$\theta = \frac{\Phi}{\Phi + w^\alpha \Psi \tau_a^{\gamma-\beta}}, \quad n^T = \frac{L w^{-\alpha-\beta} \tau_a^{-\gamma}}{\sigma f \alpha \Gamma} (\Phi + w^\alpha \Psi \tau_a^{\gamma-\beta})$$

- Wage equation

$$\mathcal{F}_a(w, \phi) = \mathcal{A}(w) + \mathcal{B}_a(w)\phi + C(w)\phi^2 = 0$$

- $$\mathcal{B}_a(w) = w^{\alpha\sigma} \Psi \tau_a^{(\gamma-\beta)\sigma} - w^{-\alpha\sigma} \Phi \tau_a^{(\beta-\gamma)\sigma}$$

- Results

- $$w(0) = \bar{w} > 1, \quad w(1) = \tau_a^{\frac{\beta-\gamma}{\alpha}}$$

- $$\theta(0) = \frac{1}{1 + \bar{w}^{\alpha-1} \tau_a^{\gamma-\beta}}$$

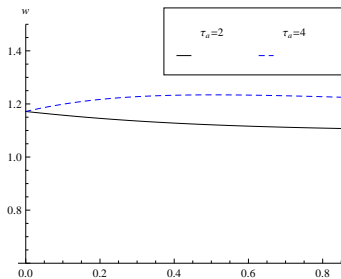
# Generalization: Costly Transportation of A (cont.)

- $\theta(1) = \max\{\min\{\theta^0(1), 1\}, 0\}$  where

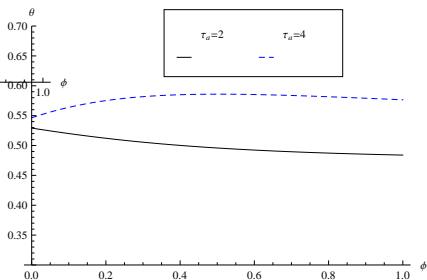
$$\theta^0(1) = \frac{\Phi}{\Phi + \Psi} \Big|_{w=w(1)} = \frac{1 - \hat{\mu}(1 + \tau_a^{\frac{\gamma-\beta}{\alpha}})}{(1 - \hat{\mu} - \hat{\eta})(1 + \tau_a^{\frac{\gamma-\beta}{\alpha}})}.$$

- Economics inside
  - A full agglomeration may arise
  - $w(1) \neq 1$  if  $\beta \neq \gamma$  and  $\tau_a > 1$ .
  - When manufactured goods are freely transported but resource goods are costly transported, the wage is lower (resp. higher) in S than in N if  $\beta > \gamma$  (resp.  $\beta < \gamma$ )
  - Firms find it more profitable to locate in the region producing more important resource good
  - Dutch disease is more difficult to occur for a larger  $\tau_a$

# Generalization: Costly Transportation of A (cont.)



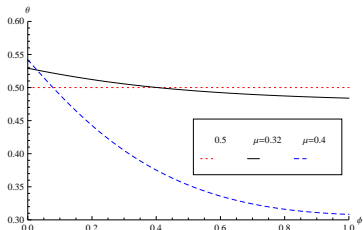
(a) Wage  $w$



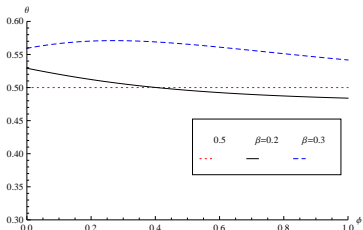
(b) Firm share  $\theta$

# Generalization: Costly Transportation of A (cont.)

- Two resource booms generate different impacts
  - The resource boom in final goods:  $\Delta \bar{\theta} > 0$ ,  $\Delta \underline{\theta} < 0$ , and  $\Delta \hat{\phi} < 0$  are true again
  - The impact of the resource boom in intermediate goods on firm location is positive for any  $\phi$
  - Accessibility to the input market is more important for firms, especially when  $\tau_A$  is positive



(a) Resource boom in F.G.

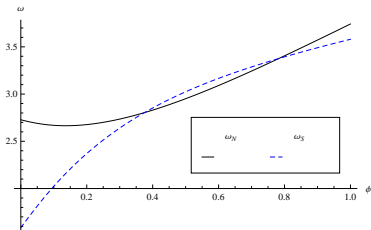


(b) resource booms in I.G.

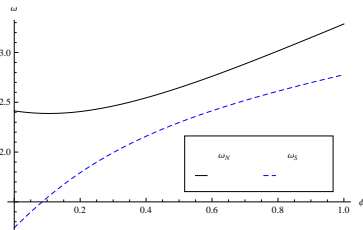


# Generalization: Costly Transportation of $A$ (cont.)

- Welfare. The Dutch disease in terms of welfare
  - Occurs when  $\tau_a$  is small
  - Disappears for a large  $\tau_a$



(a) The case for a small  $\tau_a$



(b) The case of a large  $\tau_a$

# Labor Migration

- Footloose entrepreneur model
- Immobile unskilled workers and mobile skilled workers
- $M$  production: **Fixed** 1 skilled worker **Marginal**  $(\sigma - 1)/\sigma$  composite good: unskilled worker and two resource goods as before
- nominal wages of skilled workers

$$R_N = \frac{L(\sigma - 1)[(1 - \hat{\mu})w - \hat{\mu}] - \mu + \eta w}{K \theta \alpha (\sigma - 1)(\sigma - 1 + \mu + \eta)},$$
$$R_S = \frac{L(\sigma - 1)[(1 - \hat{\eta}) - \hat{\eta}w] + \mu - \eta w}{K(1 - \theta)\alpha(\sigma - 1)(\sigma - 1 + \mu + \eta)}.$$

# Labor Migration (cont.)

- real wages

$$\omega_k^{\text{skill}} = R_k \cdot P_k^{-(1-\mu-\eta)} (p_N^A)^{-\mu} (p_S^A)^{-\eta},$$
$$\omega_k^{\text{unskill}} = w_k \cdot P_k^{-(1-\mu-\eta)} (p_N^A)^{-\mu} (p_S^A)^{-\eta}.$$

- standard replicator dynamics for skilled labor migration

$$\frac{d\theta}{dt} = (\omega_N^{\text{skill}} - \omega_S^{\text{skill}})\theta(1 - \theta).$$

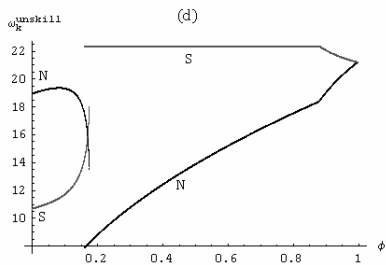
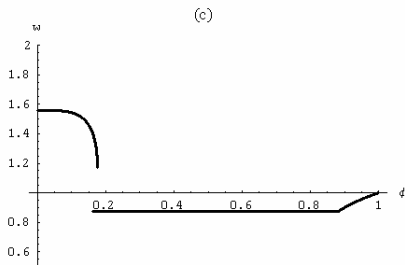
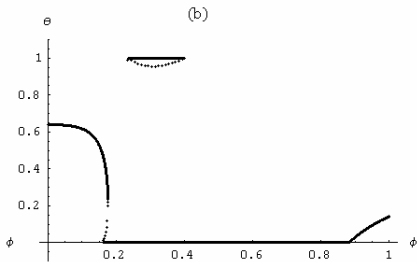
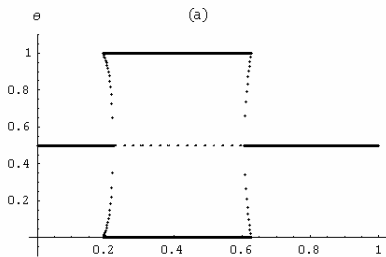
# Simulation examples

- (a): two symmetric regions:  $\sigma = 2$ ,  $\mu = \eta = 0.25$ ,  $\beta = \gamma = 0.15$ ,  $L = K = 1000$ 
  - The solid and dotted lines: stable and unstable equilibria
  - A re-dispersion of firms when  $\phi$  is sufficiently large
  - When  $\phi$  is large, the unskilled-labor wage in the core region is higher, which forms a strong dispersion force when  $\phi$  is large.
- (b): asymmetric regions:  $\sigma = 2$ ,  $\mu = 0.3$ ,  $\eta = 0.2$ ,  $\alpha = 0.7$ ,  $\beta = 0.2$ ,  $\gamma = 0.1$ ,  $L = K = 1000$ 
  - Lifting trade barriers drives firms to relocate to the region with resource disadvantage
  - Multiple equilibria are possible and full agglomeration in N is another stable equilibrium for  $\phi \in (0.24, 0.40)$ .
  - Agglomeration is more unlikely to occur in N than in S

## Simulation examples (cont.)

- (c): the equilibrium wage in N of unskilled worker
  - $w$  becomes lower (resp. higher) when firms relocate to S (resp. N)
- (d): the welfare in both regions
  - $\omega_N^{\text{unskill}} > \omega_S^{\text{unskill}}$  holds when  $\phi$  is small; The reverse holds when  $\phi$  is large.
- In summary, we still obtain the Dutch disease in terms of both industry shares and welfare when transportation costs fall in the mobile-labor case.

# Simulation examples (cont.)



# Conclusion

- two factors for a Dutch disease
  - transport cost  $\tau_M$
  - resource goods as  $M$  inputs
- Policy implication
  - Yunnan province of China is abundant in forest resource
  - Introduce paper pulp industry