# Convergence and spatial interactions: evidence from Russian regions

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#### Purpose of the Study:

- to reveal the crucial spatial factors affecting growth of Russian regions;
- to measure the **impact of spatial factors** on growth of Russian regions;
- to estimate spatial externalities of regional distribution of economic activities in Russia and to disclose **regions with distinguished growth paths**.

#### Motivation:

- existing empirical works conducted on Russian data:
  - cover a short time period;
  - estimated spatial models principally based on cross-sectional data.

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#### Russia



Buccellato T. (2007):

• conditional convergence, data: 1999-2004

Carluer F. (2010):

• convergence clubs, data: 1985–1999

Solanko L. (2003):

• conditional convergence, data: 1992–2001

Kolomak E., Zverev D. (2010):

• conditional convergence, data: 1995–2006

Lugovoy O. et al. (2007):

• conditional convergence, data: 1998–2004

#### Question 1.

Are spatial externalities at work? If yes, are they rather positive or negative?

#### Question 2.

Is it true that urbanization is associated with the regional growth? Do Russian agglomerations matter?

#### Question 3.

Do cross-sectional and dynamic market size variations impact on economic performance of the Russian regions?

79 Russian regions (Chechen Republic is excluded; composite regions – Tyumen and Arkhangelsk oblasts – are considered as single regions). Years: 1996–2010.

Sources:

- indicators of the economic and social development: statistical yearbooks "Russian regions", "Social development and quality of life in Russia": http://www.gks.ru;
- distances between regional centers: K.Glushchenko's web-site: http://econom.nsu.ru/staff/chair\_et/gluschenko/index.htm

#### Convergence equation (Barro regression)

$$\frac{1}{T}\ln\frac{y_{Ti}}{y_{0i}} = a + b\ln y_{0i} + \varepsilon_i,$$

• 
$$i - \text{region}, i = 1, 2, ..., n$$
,

- T time (years),
- $y_{0i}$  initial key indicator (e.g. GDP per capita),
- $y_{Ti}$  key indicator in the year T,
- $\varepsilon_i$  errors,  $\varepsilon_i \sim iid$  with 0 mean and finite 2nd moment.

#### Real GDP per capita corrected by the PPP

#### real GDP per capita, rub.



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## Real GDP per capita

real GDP per capita, rub.



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## GDP per capita



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#### Income per capita



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Conditional convergence equation. Spatial error model (SEM), (Anselin, Hudak, 1992)

$$\frac{1}{T} \ln \frac{y_{(t+1),i}}{y_{ti}} = a + b \ln y_{ti} + c' X_{ti} + u_{ti},$$

$$u_{ti} = \lambda W u_{ti} + \varepsilon_{ti},$$

where

- y<sub>ti</sub> a key indicator of output (e.g. GRP per capita) in the *i*-th region at time t, t = 0,..., T,
- $X_{ti}$  a vector of control variables,
- W a matrix of spatial weights,
- $\lambda$  a spatial autoregressive parameter,
- $\varepsilon_{ti}$  a vector of homoskedastic and uncorrelated errors.

#### Methods:

- to add regional dummies in regression models:
  - for regions with high or low growth rates;
  - border dummy (for regions bordering with foreign countries);
  - sea dummy (for regions with a navigable non-freezing sea port);
- to plot regional spatial interaction using matrix of weights; to measure spatial interaction of regions by means of spatial autocorrelation (Moran's I).

Moran's I:

$$I = \frac{N}{\sum_i \sum_j w_{ij}} \frac{\sum_i \sum_j w_{ij} (y_i - \bar{y})(y_j - \bar{y})}{\sum_i (y_i - \bar{y})^2}$$

#### Different types of spatial matrices w<sub>ij</sub>:

- matrix of neighbors (*w<sub>ij</sub>* = 1, if regions *i* and *j* have a common border, *w<sub>ij</sub>* = 0, otherwise);
- Kaliningrad-modified matrix of neighbors
- Moscow-modified matrix of neighbors
- inverse railway-distance matrix  $(w_{ij} = \frac{1}{dist_{ij}^{\gamma}})$ ,  $dist_{ij}$  railway distance between regional centers *i* and *j* (thousands km).

Variable: **GDP per capita 1996 (log).** W – matrix of neighbors. *N*=79.



#### Variable: annual GDP per capita growth (log). W – matrix of neighbors. N=79.



Variable: **GDP per capita 2010** (log). W – matrix of neighbors. N=79.



#### Variable: GDP per capita 1996 (log).

W – matrix of neighbors (Kaliningrad-modified). N=79.



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#### Variable: annual GDP per capita growth (log). W – matrix of neighbors (Kaliningrad-modified). N=79.



#### Variable: GDP per capita 2010 (log).

W – matrix of neighbors (Kaliningrad-modified). N=79.



## Moran's I

#### Variable: **GDP per capita (log), 1996–2010.** *W* – matrix of neighbors (Kaliningrad-modified). *N*=79.

1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 - 1997 -	Mo	oran's	I	5 - 1593 No. 15 - 15 80		
Variables		I	E(I)	sd(I)	Z	p-value*
LnGDPpc1996 LnGDPpc1997 LnGDPpc1999 LnGDPpc2000 LnGDPpc2001 LnGDPpc2003 LnGDPpc2003 LnGDPpc2005 LnGDPpc2005 LnGDPpc2006 LnGDPpc2007 LnGDPpc2008 LnGDPpc2009 LnGDPpc2009 LnGDPpc2009		0.107 0.148 0.167 0.201 0.224 0.265 0.265 0.268 0.265 0.272 0.280 0.255 0.255 0.250 0.255	$\begin{array}{c} -0.013\\$	0.078 0.078 0.079 0.079 0.079 0.079 0.079 0.079 0.079 0.079 0.078 0.078 0.078 0.078 0.078	1.535 2.059 2.284 2.709 2.438 3.006 3.527 3.568 3.528 3.627 3.734 3.408 3.481 3.386 3.438	0.125 0.040 0.022 0.007 0.015 0.003 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.000 0.001 0.001

\*2-tail test

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## Moran's I

#### Variable: **GDP per capita (log), 1996–2010.** *W* – matrix of neighbors (Moscow-modified). *N*=79.

Variables	I	E(I)	sd(I)	Z	p-value*	
LnGDPpc1996   LnGDPpc1997   LnGDPpc1998   LnGDPpc2000   LnGDPpc2000   LnGDPpc2002   LnGDPpc2003   LnGDPpc2004   LnGDPpc2005   LnGDPpc2006   LnGDPpc2007   LnGDPpc2008   LnGDPpc2009   LnGDPpc2010	0.027 0.033 0.074 0.083 0.117 0.153 0.146 0.144 0.136 0.143 0.149 0.150 0.160	-0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013 -0.013	0.059 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060 0.060	0.675 0.766 1.445 1.823 1.602 2.166 2.762 2.654 2.625 2.486 2.609 2.711 2.721 2.997 3.174	0.500 0.443 0.148 0.068 0.109 0.030 0.006 0.008 0.009 0.013 0.009 0.007 0.007 0.007 0.003 0.002	

Moran's I

\*2-tail test

3 × < 3 ×

Image: A matrix and a matrix

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#### Does distance matter? Moran's I

#### Variable: **GDP per capita (log), 1996–2010.** *W* – inverse distance matrix ( $\gamma = 1, 2, 3$ ). *N*=79.

Moran	's I (inverse	distance m	atrix)
Variables	I(gamma=1)	I(gamma=2)	I(gamma=3)
LnGDPpc1996 LnGDPpc1997	0.050	0.110 0.128	0.128 0.150
LnGDPpc1998	0.069	0.148	0.174
LnGDPpc1999	0.087	0.186	0.225
LnGDPpc2000	0.077	0.168	0.203
LnGDPpc2002	0.081	0.176	0.215
LnGDPpc2003 LpGDPpc2004	0.083	0.182	0.224
LnGDPpc2005	0.080	0.186	0.237
LnGDPpc2006	0.078	0.182	0.232
LnGDPpc2007	0.070	0.163	0.207
LnGDPpc2008	0.061	0.150	0.191
LnGDPpc2010	0.071	0.164	0.211

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### Russian railways system



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## The role of transportation system. SEM

Variables	Dependent variable: $\frac{1}{14} \ln \frac{GRPpc_{2010}}{GRPpc_{1996}}$				
	(1)	(2)	(3)		
constant	0,205*** (0,055)	0,209*** (0,037)	0,212*** (0,036)		
ln GRPpc <sub>1996</sub>	-0,014* (0,004)	-0,014*** (0,003)	-0,015*** (0,003)		
dummySakhalin	-	0,064*** (0,011)	0,064*** (0,011)		
dummyChukotka	8233	0,039*** (0,011)	0,046*** (0,012)		
dummy Dagestan	31	0,016 (0,012)	0,016 (0,011)		
dummyIngushetia	-	-0,068*** (0,011)	-0,067*** (0,000)		
<b>ln</b> RailWayDensity	-		0,0007* (0,0004)		
Variance ratio	0,108	0,509	0,519		
Speed of convergence, %	1,53	1,58	1,65		
Half-level convergence, years	45,2	43,8	42,1		

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## The role of transportation system. SEM

	(1)	(2)	(3)	(4)
Variance ratio	0,108	0,509	0,517	0,519
Squared corr,	0,053	0,526	0,540	0,526
Sigma	0,02	0,01	0,01	0,01
Log likelihood	211,54	239,73	239,94	241,15
2	0,370*	0,426**	0,353	0,497**
~	(0,193)	(0,188)	(0,226)	(0, 176)
Wald test of $\lambda = 0$ : $\chi^2(1)$	3,675	5,171	2,444	8,010
NYAR CHROREN	(p=0,055)	(p=0,023)	(p=0,118)	(p=0,005)
Likelihood ratio test of $\lambda = 0$ :	3,236	4,405	2,216	6,197
$\chi^{2}(1)$	(p=0,072)	(p=0,036)	(p=0,137)	(p=0,013)
Lagrange multiplier	2,438	3,285	1,297	4,416
test of $\lambda = 0$ : $\chi^2(1)$	(p=0,118)	(0,070)	(p=0,255)	(p=0,036)

## The role of population growth. SEM

Spatial error model (inverse distance matrix)	Dependent variable: $\frac{1}{14} \ln \frac{Income_{2010}}{Income_{1996}}$				
Variables	(1)	(2)	(3)	(4)	(5)
constant	0.463***	0.458***	0.393***	.460***	0.401***
constant	(0.024)	- $ -$ (2)         (3)           0.458***         0.393***           (0.024)         (0.031)           *         -0.035***           (0.004)         (0.004)           .281**         .518***           (0.136)         (0.177)           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         0.017*           -         0.016*           (0.009)         0.027***           -         0.029***           (0.009)         -           -         -           -         0.029***           (0.009)         -           -         -           -         -           0.029**         (0.009)           -         -           0.009         0.716           4.81         2.92	(0.023)	(0.031)	
In Income	-0.036***	-0.035***	-0.024 * * *	-0.035***	-0.026***
III 1/100//11/1996	(0.004)	Dependent væriæble: $\frac{1}{14}$ in $\frac{1}{14}$ (2)         (3)           0.458***         0.393***           (0.024)         (0.031) $-0.035***$ -0.024***           (0.004)         (0.004)           .281**         .518***           (0.136)         (0.177)           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         -           -         0.017*           (0.009)         -           -         0.016*           (0.008)         -           -         0.029***           (0.009)         -           -         -           -         -           -         -           -         -           -         0.029***           (0.009)         -           -         -           -         -           -         -           -         -           -         -     <	(0.003)	(0.005)	
In Population Growth	_	.281**	.518***		_
Lni opulationGrown	_	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	(0.177)		_
InLaborGrowth	_	_	_	0.406***	0.374***
En Eubor Growin	_	0.02		(0.132)	(0.133)
dummuMashua	_	_	-0.027**	_	-0.019*
aannig 110 s.c. ra	6200	$\begin{tabular}{ c c c c } \hline (2) & (3) \\ \hline (0,024) & (0.031) \\ \hline (0.024) & (0.031) \\ \hline (0.004) & (0.004) \\ \hline (0.004) & (0.004) \\ \hline (0.004) & (0.004) \\ \hline (0.136) & (0.177) \\ \hline - & - \\ - & - \\ \hline - & - \\ - \\ - & - \\ \hline - & - \\ - \\ - & - \\ \hline - & - \\ - \\ - & - \\ \hline - & - \\ - \\ - & - \\ \hline - & - \\ - \\ - & - \\ \hline - & - \\ - \\ - & - \\ - \\ - & - \\ - \\ - & - \\ - \\$	(0.011)		(0.011)
dummyTuman	_	_	-0.017*	_	-0.011
aummy i umen	1	Dependent variable:         1           (2)         (3) $0.458^{***}$ $0.393^*$ $(0.024)$ $(0.031^*)$ $-0.035^{***}$ $-0.024^*$ $(0.004)$ $(0.004)$ $281^{***}$ $-0.024^*$ $(0.136)$ $(0.177)^*$ $   -$ <td>(0.009)</td> <td></td> <td>(0.009)</td>	(0.009)		(0.009)
dummy Chickotka	_		0.016*	_	0.009
auning charlera		100	(0.009)		(0.008)
dummuSakhalin	-	100	0.027***	1000	0.022***
aanmyoaxnasin	_	_	(0.008)		(0.008)
dummy Dagastan	255	3.97	0.029***	6799	0.032***
aummyDagestan	_		(0.009)	_	(0.009)
dummy Incushatia		10.00	-0.0006	10.000	0.008
aummymgusnetta	_		(0.009)	_	(0.008)
Variance ratio	0.511	0.509	0.716	0.611	0.718
Speed of convergence. %	5.01	4.81	2.92	4.81	3.23
Half-level convergence. years	13.8	14.4	23.7	14.4	21.4

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## The role of population growth. SEM

	(1)	(2)	(3)	(4)	(5)
Variance ratio	0.511	0.561	0.716	0.611	0.718
Squared corr.	0.529	0.552	0.673	0.581	0.682
Sigma	0.01	0.01	0.01	0.01	0.01
Log likelihood	252.98	255.054	268.77	257.41	268.47
2	0.268*	0.28*	.35**	.245	.255
~	(0.159)	(0.16)	(0.15)	(0.164)	(0.16)
Wald test of $\lambda = 0: \chi^2(1)$	2.821	3.028	5.282	2.237	2.498
	(p=0.093)	(p=0.082)	(p=0.022)	(p=0.135)	(p=0.114)
Likelihood ratio test of $\lambda = 0$ :	2.626	2.795	4.486	2.076	2.293
$\chi^{2}(1)$	(p=0.105)	(p=0.095)	(p=0.034)	(p=0.150)	(p=0.130)
Lagrange multiplier	2.438	2.338	3.463	1.682	1.877
test of $\lambda = 0$ : $\chi^2(1)$	(p=0.118)	(0.126)	(p=0.063)	(p=0.195)	(p=0.171)

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### Panel data. Do regions converge by income?

Variables	Dependent variable: $\ln \frac{Income_{t+1}}{Income_t}$				
	Fixed effects model	Random-effects model	Between-effects model		
constant	0.507*** (0.005)	0.508*** (0.006)	0.626*** (0.056)		
ln Income <sub>t</sub>	-0.039*** (0.001)	-0.039*** (0.001)	-0.053*** (0.007)		
R <sup>2</sup> within	0.769	0.769	0.769		
R <sup>2</sup> between	0.426	0.426	0.425		
R <sup>2</sup> overall	0.708	0.708	0.708		
Statistics	F(78, 1026) = 6.71	Wald chi2(1) = 3450.22	F(1,77) = 57.07		
corr(u_i, Xb)	0.0538	0 (assumed)	sd(u_i + avg(e_i.))= .016		
sigma_u	0.017	0.015			
sigma_e	0.024	0.024			
rho	0.324	0.28			
Speed of convergence. %	5.64	5.64	9.68		
Half-level convergence. years	12.3	12.3	7.2		

Variables	Dependent variable: $\ln \frac{GDPpc_{t+1}}{GDPpc_t}$			
constant	-0.940*** (0.083)	0.663*** (0.006)		
$\ln GDPpc_t$	$0.083^{***}$ (0.111)	-0.048*** (0.007)		
Dummy for crisis years (1998, 2008)	no	yes		
R <sup>2</sup> within	0.1169	0.7236		
R <sup>2</sup> between	0.0165	0.0165		
R <sup>2</sup> overall	0.0477	0.7057		
Speed of convergence. %		5.64		
Half-level convergence. years		12.3		

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## Testing hypothesis 2

$$\frac{1}{T} \ln \frac{y_{(t+1),i}}{y_{ti}} = a + b \ln y_{ti} + c' X_{ti} + u_{ti},$$
$$u_{ti} = \lambda W u_{ti} + \varepsilon_{ti},$$

- $y_{ti}$  GRP-by-industry per capita,
- $X_{ti} = (Aggl_{ti}, H_{ti}, Innov_{ti}, Edu_{ti}, MP_{ti})' a$  vector of control variables;
  - $Agg|_{ti}$  agglomeration indicator of the *i*-th region at time t;
  - ► *H*<sub>ti</sub> indicator of sectoral diversity (Herfindhal-Hirshman index);
  - Innov<sub>ti</sub> measure of own innovative activity;
  - Edu<sub>ti</sub> share of skilled workers;
  - $MP_{ti} = \sum_{i \neq i} \frac{GDP_{ind_{tij}}}{Dist_{ij}}$  real market potential,  $Dist_{ij}$  distance between regional centers.

GDP-by-industry is available for the period 2005–2009 (15 sectors). Simple regressions show unconditional convergence by GDPpc.

## Testing hypothesis 3

$$\frac{1}{T} \ln \frac{y_{(t+1),i}}{y_{ti}} = a + b \ln y_{ti} + c_1 \ln MarketSize_{ti} + c_2 \ln Migration_{ti} + u_{ti},$$
$$u_{ti} = \lambda W u_{ti} + \varepsilon_{ti},$$
$$MarketSize_{ti} = \Omega_i + v_{ti},$$
$$v_{t+1,i} = \Omega v_{ti} + \xi_{t+1,i}, \quad 0 \le 0 \le 1$$

- *MarketSize* population,  $\Omega_i$  a stable target size,  $v_{ti}$  a possibly persistent random shock,  $\xi_i$  iid random shocks,
- *Migration*<sub>ti</sub> in-migration.

Determinants for Russian in-migration (Yu.Andrienko, S. Guriev, 2003):

- initial personal income in the region *i* ;
- big cities;
- resource potential;
- climate;
- public goods.

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As market size is clearly endogenous it should be instrumented. Instruments:

- data of population census in Russian Empire in 1897,
- data of population census in USSR (1926, 1937, 1939, 1959, 1970, 1979, 1989),
- data of population census in Russian Federation (2002, 2010).

Spatial externalities exist.

Russian regions interactions highly depend on accessibility of railways system. Interaction almost disappears while distance between regions becomes large.

Regions with an advantageous geographic position (e.g. bordering foreign countries, having sea-ports) grow faster.

There are regions with distinguished growth paths: Moscow city, Tyumen oblast, Sakhalin oblast, Chukotka AO, Dagestan Republic, Ingushetia Republic.

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• Russian regions are highly heterogeneous, so it's reasonable to get access to more disaggregate data in order to redo the estimates, which may allow to catch the desirable effects in a more subtle way.

## Thank you for your attention!

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